

In NOTE 49:

The definition of Tr should be

$\forall x \exists u \exists f$  such that  $u$  is transitive and  $f$  is a function from  $x$  one to one and onto  $u$ .

Delete "(form 174)". (The statement TR'' is not form 174.)

In NOTE 94:

The relationship between  $\Delta_3$ -finite and III-finite was discovered by Omar de la Cruz, neither implies the other. In the model  $\mathcal{N}3$ ,  $A$ , the set of atoms, is not  $\Delta_3$ -finite, but since  $\mathcal{P}(A)$  is Dedekind finite,  $A$  is III-finite. In  $\mathcal{N}1$ , let  $X$  be the set of all finite subsets of  $A$ .  $X$  is not III-finite because  $\mathcal{P}(X)$  is Dedekind infinite. However,  $X$  is  $\Delta_3$ -finite because it has no infinite linearly ordered set.

Suppose  $X$  has an infinite linearly ordered set  $L$  and suppose  $E$  is a support for  $L$  and its linear ordering  $R$ . There must be an  $n \in \omega$  such that  $L' = \{x \in L : |x| = n\}$  is infinite. Otherwise, we can well order  $L$  by

$$x < y \text{ iff } |x| < |y|, \text{ or } |x| = |y| \text{ and } xRy.$$

Since  $E$  has only finitely many subsets there are elements  $u$  and  $v$  in  $L'$  such that  $u \cap E = v \cap E$ . It is easy to see that there is a permutation  $\sigma \in G$  such that  $\sigma(u) = v$  and  $\sigma(v) = u$ . This contradicts the assumption that  $E$  is a support of the linear ordering  $R$ .