

Additions to Part VI: Bibliography

Add to the list of abbreviations at the beginning

Appl. Categ. Structures. - Applied Categorical Structures.

Portugal. Math. - Portugaliae Mathematica.

Quaestiones Math. - Quaestiones Mathematicae.

Rostock. Math. Kolloq. - Rostocker Mathematisches Kolloquium.

Add

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Change Cowen/Emerson [1995] to:

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